Graph Convolutional Neural Networks for Web-Scale Recommender Systems

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Plan

Introduction

- published at KDD'18

- team leader: Jure
  Leskovec, from Stanford
  (and Pinterest)

- follows their recent
  works on GCN (=GCNN)
  [**HamiltonYL17NIPS**;
  HYLtutoWWW; HYL17]

Main contributions

- very large scale recommender system

- deployed in production

- new Graph Convolutional NN algorithm

- efficient training strategy (locality / choice of examples)

Plan

Convolutional Neural Networks

- An architecture for high-dimensional learning

ConvNets

- Assumption: data (video, sound, image) are compositional, formed of patterns that are:
  - local (*c.f.* visual neurons)
  - stationary (global/local invariance)
  - multi-scale (hierarchy)
- ConvNets extract compositional features and feed them to classifier, recommender, etc.

Slide material from Xavier Bresson @ IPAM

ConvNets

- Assumption: data (video, sound, image) are compositional, formed of patterns that are:
    - local (*c.f.* visual neurons)   *O*(1) parameters per filter
    - stationary (global/local invariance)   *O*(n log n) with FFT
    - multi-scale (hierarchy)   *O*(n) downsampling & pooling
- ConvNets extract compositional features and feed them to classifier, recommender, etc.

Slide material from Xavier Bresson @ IPAM

Challenges with graphs

Graph data

- non euclidian
- limited engineered features (inflexible)

Representation learning: extend CNN to graphs

- node embeddings
- Assumption: Non euclidian data are still stationary and have hierarchy
- Define convolution and pooling for graphs (compositionality)
  - Convolution: spectral graph theory
  - Downsampling with clustering techniques
- Fast computations?

Slide material partially from Xavier Bresson @ IPAM

State of the art on GCNs

- Seminal work on neural nets for graph data: [GMS05; Sca+09]

- Creation of GCNs in [Bru+13]

- Several extensions of spectral convolutions, with applications in different domains [KW16; MBB17]

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  All beating matrix facto or random-walk -based approaches (node2vec, DeepWalk)

- Good survey in [HYL17; Bro+17]

- Scalability problem remains

Plan

1 Introduction

2 Graph convolutional networks

3 PinSage

4 Experiments

PinSage Architecture

Assume we have a graph *G*

- *V* is the vertex set
- *A* is the adjacency matrix
- $X \in \mathbb{R}^{m \times |V|}$ is a matrix of node features (text, image data, but also node degrees, cluster coefficients)
- idea: generate node embeddings (neighborhood info) with neural networks

INPUT GRAPH

Neighborhood aggregation

Neighborhood aggregation: layers

- nodes have embeddings at each layer
- layer 0 of node *v* is the feature vector x_v

Node embeddings

$$h_v^k = \sigma\left(W_k \sum_{u \in N(v)} \frac{h_u^{k-1}}{|N(v)|} + B_k h_v^{k-1}\right), \forall k > 0$$

- h_v^k: k^{th} layer embedding for v
- σ: ReLU
- $\sum_{u \in N(v)} \frac{h_u^{k-1}}{|N(v)|}$ average neighbors' previous layers embeddings
- W_k, B_k trainable matrices (weights, bias)

- $h_v^0 = x_v$
- $z_v = h_v^K$, $K = 2$

Architecture schema

Idea

- Generalized aggregation: Replace the simple average by a different *pooling* method
- Item-wise mean/max, γ

Random walks

- Sampling neighborhoods with random walks
- top T nodes with best Personalized PageRank
- Advantages:
    - avoid storing all Laplacian in memory
    - fixed memory footprint
    - shared parameters between subgraphs
    - importance encoded in embedding aggregations

Training

- Supervised max-margin ranking loss
- Idea: maximize inner product of positive examples (proximity between embeddings of *q* and *i*)
- and: product between query and negative example must be smaller than any positive example by pre-defined margin

$$\mathscr{L} = \sum_{(q,i) \in \mathscr{D}} max(0, -z_q^T z_i + z_q^T z_{neg} + \Delta)$$

- Δ: margin

Negative sampling: a challenge

- cannot be uniform (resolution too low)
- cannot be individual (too expensive)
- batching, fixed 500 negative samples per batch

Curriculum training [Ben+09]

- needle in haystack: find 1000 similar items to query in 2B
- 500 in 2B is too low: bad parameters updates
- find **hard negative samples**
- between rank 2000-5000 in PPR with q

Query   Positive Example   Random Negative   Hard Negative

Inductive capability

$$\mathbf{W}_k \quad \mathbf{B}_k$$

shared parameters

shared parameters

Compute graph for node A   **Compute graph for node B**

Last idea: MapReduce computations

- problem: expensive computation, due to overlap

- offline embedding computation
- producer-consumer CPU/GPU framework
- recommendation by lookups in the embedding space
- LSH-based retrieval
- online recommendation served!

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4 Experiments
- Experimental setup
- Evaluation results

Application: recommender system

Specific tasks, not exactly regular ones

- recommending related pins (item similarity)
- recommend pins for user's home/feed

Related pin after image query

Home feed

Dataset

- positive examples: use history of interactions to create (q, i) pairs (query image q, next pin i)

- all other pins are considered negative

- 1.2 billions positive pairs use for training

- 6 hard negative items per pin

- 500 negatives per batch

- total: 7.5 billions items

Dataset: graph sampling

- PinSage efficiently generate embeddings for unseen data

- training on 20% of all boards (and all their pins)

- 70% of labeled examples

- 10% more during hyperparameter tuning

- remaining 20% used for testing in offline evaluations

- full datatsets: 18TB

- 4TB output embeddings

Features

- Each pin has image and (title, annotation)

- visual embeddings (dim 4096) (VGG-16 architecture 6th layer [SZ14])

- textual annotations embeddings (dim 256, Word2vec)

- log degree (only one direct graph feature)

Variants

- max-pooling γ

- mean-pooling γ

- mean-pooling with cross-entropy loss (previous work)

- mean-pooling with hard negative samples

- $K = 2$

- $m = 2048$

- embedding dimension $d = 1024$

Computation resources

- TensorFlow implementation

- Training on a single machine with:
    - 16 Tesla K80 GPU
    - 32 cores
    - Linux HugePages
    - 500 GB Mem for training

- MapReduce on AWS 378 nodes Hadoop cluster

Offline Evaluation

- for each (q,i) pair in test set, compute $K = 500$ nearest neighbors of q among 5 million test pins

- *hit rate*: fraction of queries where i was ranked in the NN

- Mean Reciprocal Rank MRR:

$$\text{MRR} = \frac{1}{n} \sum_{(q,i)} \frac{1}{\lceil R_{i,q}/100 \rceil}$$

(scaling w/ factor 100 insures diff at rank 1000 and at rank 2000 are significant)

- PinSage beats all variants, hit rate $\sim 67\%$, MRR 0.59 (second: mean pooling hard)

- Also: checked that embeddings similarities is sufficiently distributed, so that there is enough resolution to distinguish between items, LSH collision probabilities are low

User studies

Head to head

- image of query pin presented to user, with 2 images from different algorithms

- 2/3 consensus between users

- PinSage vs Baseline is $\sim 50\%$ draws.

- but when users have an opinion, it's for PinSage (approx. 60% of wins)

A/B tests

- metric: repin rate (home feed recos saved by users)
- 10-30% improvement over baselines

Bonus

GCN can be inductive so:

- training on subgraph (instead of full graph)

- easy to compute embeddings for new nodes (cold-start problem)

Critiques

- Limited graph features (node degree, and PPR proxy)

- Performance claims...

Methods	Win	Lose	Draw	Fraction of wins
PinSage vs. Visual	28.4%	21.9%	49.7%	56.5%
PinSage vs. Annot.	36.9%	14.0%	49.1%	72.5%
PinSage vs. Combined	22.6%	15.1%	57.5%	60.0%
PinSage vs. Pixie	32.5%	19.6%	46.4%	62.4%

Table 2: Head-to-head comparison of which image is more relevant to the recommended query image.

the best performing baseline by more than 40%, in head-to-head human evaluations our recommendations are preferred about 60% of the time, and the A/B tests show 30% to 100% improvements in user engagement across various settings.

Conclusion

- Random-walk based GCN

- Highly scalable (10 000x !)

- Performance improved by:
  - importance pooling (PageRank like sampling)
  - curriculum training (harder and harder examples)

- Reusable embeddings

- Comprehensive evaluation (possible thanks to production context)

Contact

Thank you for your attention.

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