# Graph Convolutional Neural Networks for Web-Scale Recommender Systems Rex Ying, Ruining He, Kaifeng Chen, Pong Eksombatchai, William L. Hamilton, Jure Leskovec

Raphaël Fournier-S'niehotta

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le c**nam** 

## 1 Introduction

2 Graph convolutional networks

#### 3 PinSage

4 Experiments

## Introduction

#### published at KDD'18

- team leader: Jure Leskovec, from Stanford (and Pinterest)
- follows their recent works on GCN (=GCNN)
   [HamiltonYL17NIPS; HYLtutoWWW; HYL17]

#### Graph Convolutional Neural Networks for Web-Scale Recommender Systems

Rex Ying\*<sup>†</sup>, Ruining He\*, Kaifeng Chen\*<sup>†</sup>, Pong Eksombatchai\*,

William L. Hamilton<sup>†</sup>, Jure Leskovec<sup>\*†</sup> <sup>\*</sup>Pinterot, <sup>†</sup>Staafeed University (the knifengeben, pongl@pinterest.com.frexying.wleif.jure)@staaford.edu

#### ABSTRACT

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#### 1 INTRODUCTION

Deep learning methods have an increasingly critical role in recommender system applications, being used to learn useful lowdimensional embeddings of images, test, and even individual users

[9, 13] The representations learned using deep methods can be used to complement, or even replace, traditional second mediation algorithma fair collaborative fibrating, and those learned expresentations have high utility because they can be re-used in surface arccent mendation tasks. For example, thus embedding learned using a deep model can be used for them-item recommendation and also to recommendate themes objectives either publishes. If 'eff' content's these objectives are also been also been also been also been also also been also been also been also been also been also been also also been also been also been also been also been also also been also been also been also been also been also also been also been also been also been also been also also been also been also been also been also also been also been also been also been also been also also been also been also been also been also also been also been also been also been also also been also been also been also been also been also also been also been also been also been also also been also been also been also been also also been also been also been also also been also been also been also also been also also been also also been also been

Becent years have seen againfailed developments in Una spaceopecially the development of new deep learning methods that are copuble of learning on graph-structured data, which is fundament tail for recommendation applications (e.g., to exploit source-to-imus interaction graphs as well as acold graphs) (5, 9, 9, 12, 49, 9, 56).

The must challenge is to each both the training as well as inference of CON-board node embedding to graphs with billion of nodes and trus of billions of edges. Scaling up CONs is difficult because many of the one samplification modelying their desponse violated where working in a high data revisionment. For example, in sinting GON stocal recommendation systems replace approach in sinting of CON-based recommendation of the sinting of CON-based models and the second stocal stocal stocal stocal stocal in sinting of CON-based recommendation of the sintition of the sinting of CON-based stocal stocal stocal shows instances to constantly evolution.

Present work: How we present a highly-stabilistic CN framework that we have developed and depirept in production at Pinteret. Our framework, a madute-wolk-based CN instand Piccoge, spratse on a matche graph with a billion nodes and 1b billion edge-sapph that is 30 wile larger than typical applications of CNN. Pitcoge leverages several hey insights to detasticitly improve the scability of CONe.

## Main contributions

- very large scale recommender system
- deployed in production
- new Graph Convolutional NN algorithm
- efficient training strategy (locality / choice of examples)

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# **Convolutional Neural Networks**

#### An architecture for high-dimensional learning



## ConvNets

Assumption: data (video, sound, image) are compositional, formed of patterns that are:

- local (c.f. visual neurons)
- stationary (global/local invariance)
- multi-scale (hierarchy)

 ConvNets extract compositional features and feed them to classifier, recommender, etc.





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Slide material from Xavier Bresson @ IPAM

## ConvNets

- Assumption: data (video, sound, image) are compositional, formed of patterns that are:
  - local (c.f. visual neurons)
    O(1) parameters per filter
  - stationary (global/local invariance) O(n log n) with FFT
  - multi-scale (hierarchy)
    O(n) downsampling & pooling
- ConvNets extract compositional features and feed them to classifier, recommender, etc.





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Slide material from Xavier Bresson @ IPAM

# Challenges with graphs

## Graph data

- non euclidian
- limited engineered features (inflexible)

## Representation learning: extend CNN to graphs

- node embeddings
- Assumption: Non euclidian data are still stationary and have hierarchy
- Define convolution and pooling for graphs (compositionality)
  - Convolution: spectral graph theory
  - Downsampling with clustering techniques

Fast computations?

Slide material partially from Xavier Bresson @ IPAM

## State of the art on GCNs

- Seminal work on neural nets for graph data: [GMS05; Sca+09]
- Creation of GCNs in [Bru+13]
- Several extensions of spectral convolutions, with applications in different domains [KW16; MBB17]
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# State of the art on GCNs

Seminal work on neural nets for graph data: [GMS05;
 Sca+09] Problem: message passing too expensive

Creation of GCNs in [Bru+13]

- Several extensions of spectral convolutions, with applications in different domains [KW16; MBB17]
- Several extensions of spectral convolutions, with applications in different domains [KW16; MBB17]
   All beating matrix facto or random-walk -based approaches (node2vec, DeepWalk)
- Good survey in [HYL17; Bro+17]
- Scalability problem remains

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# PinSage Architecture

Assume we have a graph G

- V is the vertex set
- A is the adjacency matrix
- X ∈ ℝ<sup>m×|V|</sup> is a matrix of node features (text, image data, but also node degrees, cluster coefficients)
- idea: generate node embeddings (neighborhood info) with neural networks



# Neighborhood aggregation



# Neighborhood aggregation: layers

- nodes have embeddings at each layer
- layer 0 of node v is the feature vector  $x_v$



# Node embeddings

$$\boldsymbol{h}_{\boldsymbol{v}}^{k} = \sigma \left( \boldsymbol{W}_{k} \sum_{u \in \boldsymbol{N}(\boldsymbol{v})} \frac{\boldsymbol{h}_{u}^{k-1}}{|\boldsymbol{N}(\boldsymbol{v})|} + \boldsymbol{B}_{k} \boldsymbol{h}_{v}^{k-1} \right), \forall k > 0$$

**h**
$$_{v}^{k}$$
:  $k^{th}$  layer embedding for v

- σ: ReLU
- $\sum_{u \in N(v)} \frac{h_u^k 1}{|N(v)|}$  average neighbors' previous layers embeddings
- **W**<sub>k</sub>,  $B_k$  trainable matrices (weights, bias)

• 
$$h_{v}^{0} = x_{v}$$
  
•  $z_{v} = h_{v}^{K}, K = 2$ 

## Architecture schema



#### Idea

Generalized aggregation: Replace the simple average by a different *pooling* method

Item-wise mean/max,  $\gamma$ 

- Sampling neighborhoods with random walks
- top T nodes with best Personalized PageRank
- Advantages:
  - avoid storing all Laplacian in memory
  - fixed memory footprint
  - shared parameters between subgraphs
  - importance encoded in embedding aggregations

- Supervised max-margin ranking loss
- Idea: maximize inner product of positive examples (proximity between embeddings of q and i)
- and: product between query and negative example must be smaller than any positive example by pre-defined margin

$$\mathscr{L} = \sum_{(q,i) \in \mathscr{D}} max(0, -z_q^T z_i + z_q^T z_{neg} + \Delta)$$

■ ∆: margin

# Negative sampling: a challenge

- cannot be uniform (resolution too low)
- cannot be individual (too expensive)
- batching, fixed 500 negative samples per batch

## Curriculum training [Ben+09]

- needle in haystack: find 1000 similar items to query in 2B
- 500 in 2B is too low: bad parameters updates
- find hard negative samples
- between rank 2000-5000 in PPR with q





Positive Example



X



Hard Negative

GCNNs for web-scale Recommender Systems

# Inductive capability



## Last idea: MapReduce computations

#### problem: expensive computation, due to overlap



- offline embedding computation
- producer-consumer CPU/GPU framework
- recommendation by lookups in the embedding space
- LSH-based retrieval
- online recommendation served!

## Plan

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**2** Graph convolutional networks

#### 3 PinSage

- 4 Experiments
  - Experimental setup
  - Evaluation results

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## Application: recommender system

Specific tasks, not exactly regular ones

- recommending related pins (item similarity)
- recommend pins for user's home/feed

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# Related pin after image query



## Home feed



- positive examples: use history of interactions to create (q,i) pairs (query image q, next pin i)
- all other pins are considered negative
- 1.2 billions positive pairs use for training
- 6 hard negative items per pin
- 500 negatives per batch
- total: 7.5 billions items

# Dataset: graph sampling

- PinSage efficiently generate embeddings for unseen data
- training on 20% of all boards (and all their pins)
- 70% of labeled examples
- 10% more during hyperparameter tuning
- remaining 20% used for testing in offline evaluations
- full datatsets: 18TB
- 4TB output embeddings

- Each pin has image and (title, annotation)
- visual embeddings (dim 4096) (VGG-16 architecture 6th layer [SZ14])
- textual annotations embeddings (dim 256, Word2vec)
- log degree (only one direct graph feature)

## Variants

- max-pooling γ
- mean-pooling γ
- mean-pooling with cross-entropy loss (previous work)
- mean-pooling with hard negative samples
- *K* = 2
- *m* = 2048
- embedding dimension d = 1024

## **Computation resources**

## TensorFlow implementation

- Training on a single machine with:
  - 16 Tesla K80 GPU
  - 32 cores
  - Linux HugePages
  - 500 GB Mem for training
- MapReduce on AWS 378 nodes Hadoop cluster

# **Offline Evaluation**

- for each (q,i) pair in test set, compute K = 500 nearest neighbors of q among 5 million test pins
- hit rate: fraction of queries where i was ranked in the NN
- Mean Reciprocal Rank MRR:

$$\mathsf{MRR} = \frac{1}{n} \sum_{(q,i)} \frac{1}{\lceil R_{i,q} / 100 \rceil}$$

(scaling w/ factor 100 insures diff at rank 1000 and at rank 2000 are significant)

 PinSage beats all variants, hit rate ~ 67%, MRR 0.59 (second: mean pooling hard)

Also: checked that embeddings similarities is sufficiently distributed, so that there is enough resolution to distinguish between items, LSH collision probabilities are low

Raphaël Fournier-S'niehotta

GCNNs for web-scale Recommender Systems

Journal-club (19-10-2018)

## User studies

Head to head

image of query pin presented to user, with 2 images from different algorithms

- 2/3 consensus between users
- PinSage vs Baseline is  $\sim$  50% draws.
- but when users have an opinion, it's for PinSage (approx. 60% of wins)

A/B tests

- metric: repin rate (home feed recos saved by users)
- 10-30% improvement over baselines

GCN can be inductive so:

- training on subgraph (instead of full graph)
- easy to compute embeddings for new nodes (cold-start problem)

## Limited graph features (node degree, and PPR proxy)

#### Performance claims...

Methods	Win	Lose	Draw	Fraction of wins
PinSage vs. Visual	28.4%	21.9%	49.7%	56.5%
PinSage vs. Annot.	36.9%	14.0%	49.1%	72.5%
PinSage vs. Combined	22.6%	15.1%	57.5%	60.0%
PinSage vs. Pixie	32.5%	19.6%	46.4%	62.4%

 Table 2: Head-to-head comparison of which image is more relevant to the recommended query image.

the best performing baseline by more than 40%, in head-to-head human evaluations our recommendations are preferred about 60% of the time, and the A/B tests show 30% to 100% improvements in user engagement across various settings.

# Conclusion

- Random-walk based GCN
- Highly scalable (10 000x !)
- Performance improved by:
  - importance pooling (PageRank like sampling)
  - curriculum training (harder and harder examples)
- Reusable embeddings
- Comprehensive evaluation (possible thanks to production context)

#### Thank you for your attention.

#### Contact: fournier@cnam.fr

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